

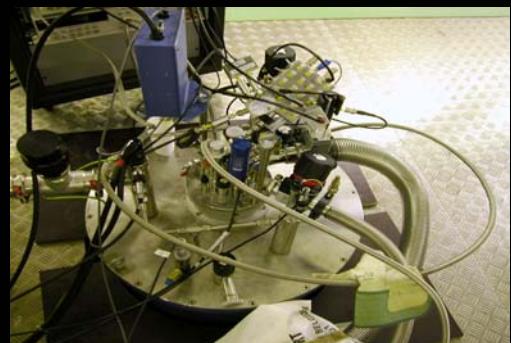
# Gated Magnetoresistance in Carbon Nanotubes

Matthias Gräber, Markus Weiss, Bill Coish, Daniel Loss,  
Sangeeta Sahoo, Takis Kontos, Audrey Cottet, Wolfgang Belzig,  
Christoph Bruder and Christian Schönenberger

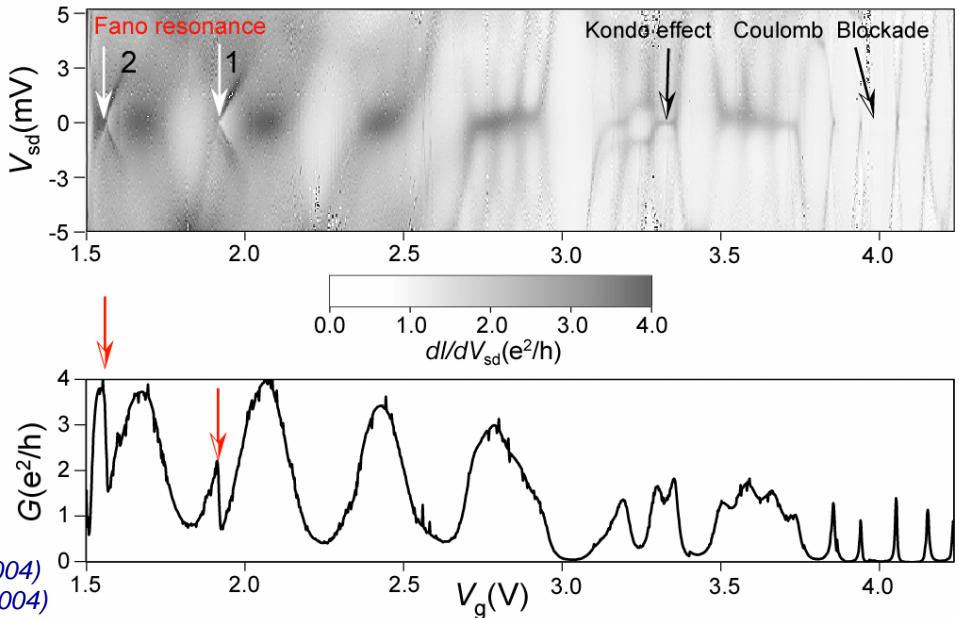
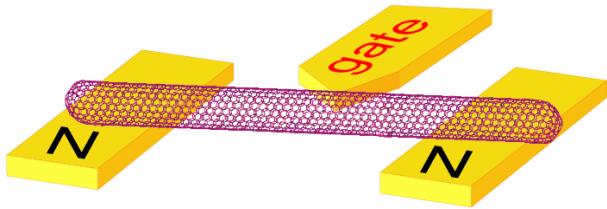
NT06, Nagano, 18-23 June 2006

## low-T quantum transport

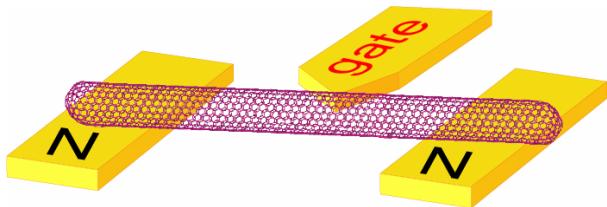
- we are users of CNTs



# Carbon Nanotube Devices



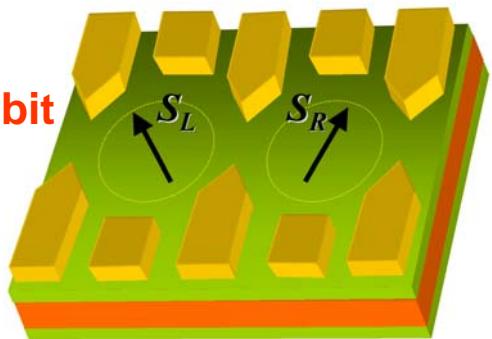
# Carbon Nanotube Devices



for fundamental transport studies, CNTs are e.g. good for:

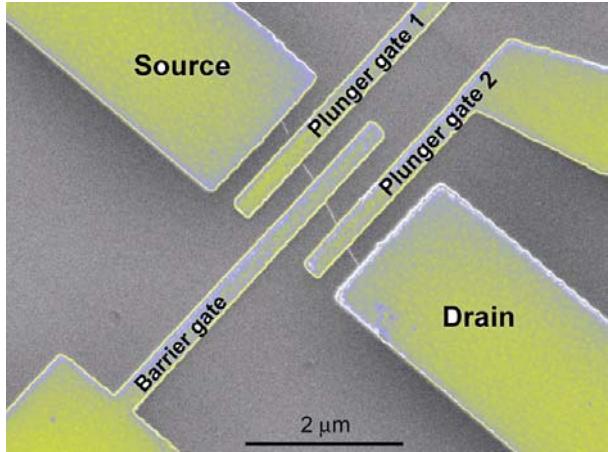
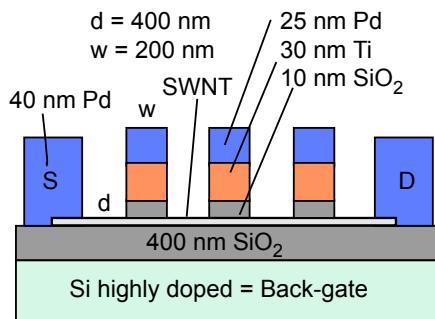
- ▶ strong interaction → LL-type behavior
  - ▶ additional degeneracies → unconventional Kondo physics
  - ▶ very small spin-orbit int. → expect large spin coherence times
- Local gate control of electronic transport in nanotubes
  - Probing and controlling quantum effects including spin degree of freedom

**spin qubit**



D. Loss and D. P. DiVincenzo  
Phys. Rev. A 57, 120-126 (1998)

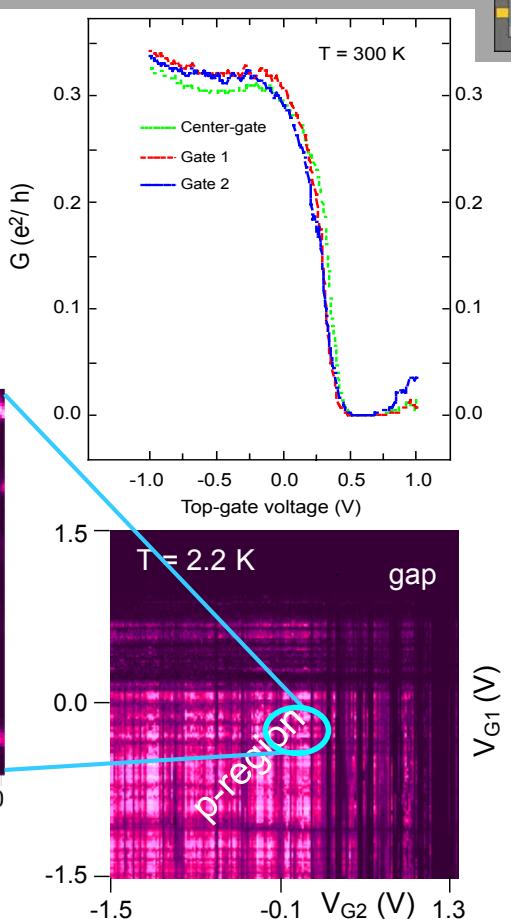
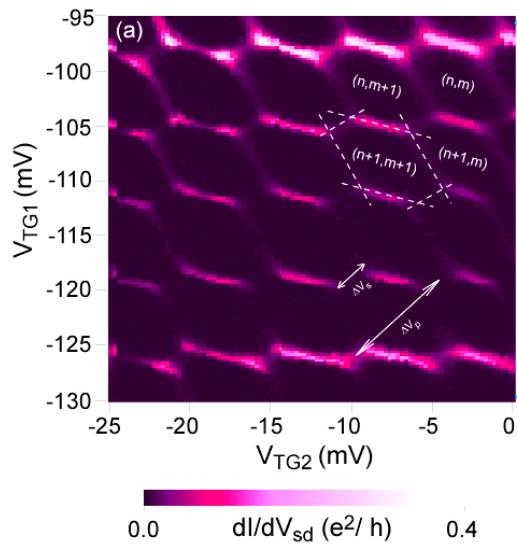
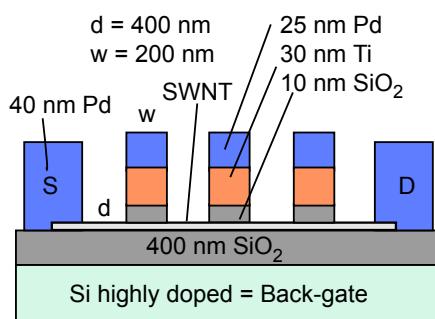
# Carbon Nanotube Devices



see: cond-mat/0603367 and cond-mat/0605220

Mason et al. Science 303 (2004)

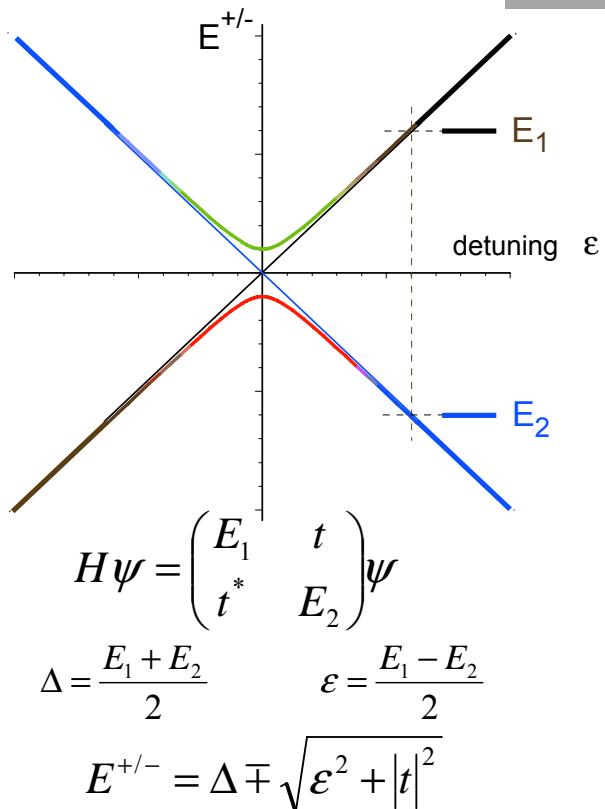
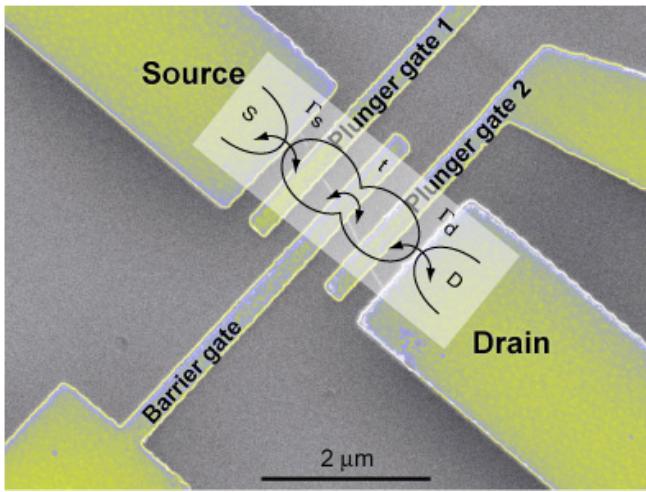
# Carbon Nanotube Devices



# molecular states (hybridization)



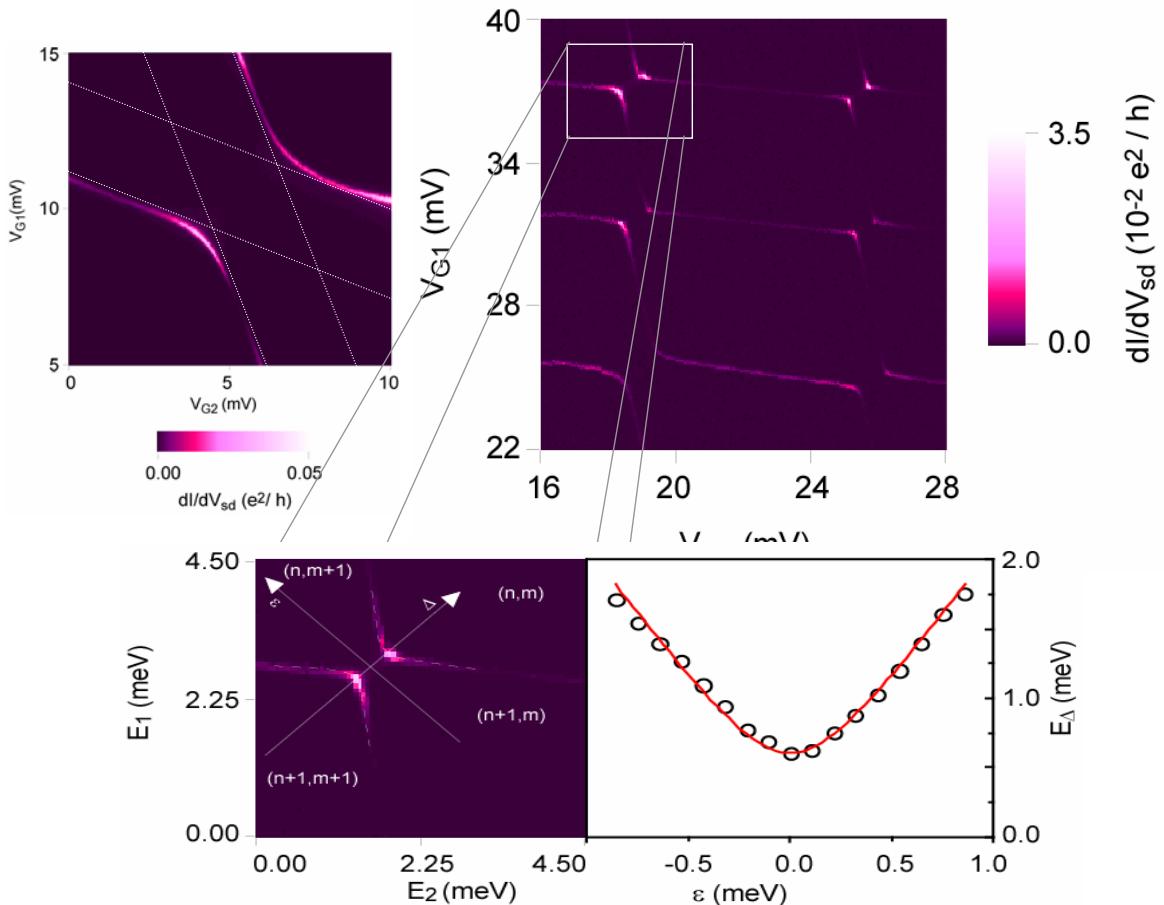
„hydrogen molecule“



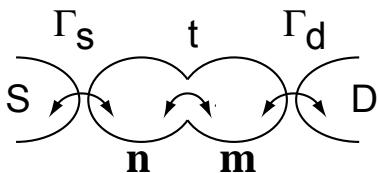
$$C_{100'000} \rightarrow (C_{100'000})_2$$

M. Gräber et al. cond-mat/0603367 and cond-mat/0605220

# molecular states



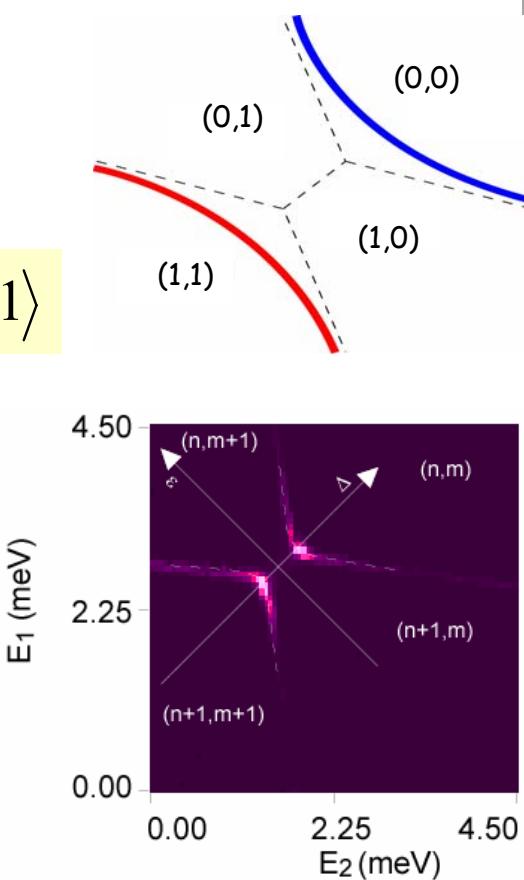
# mapping of molecular states



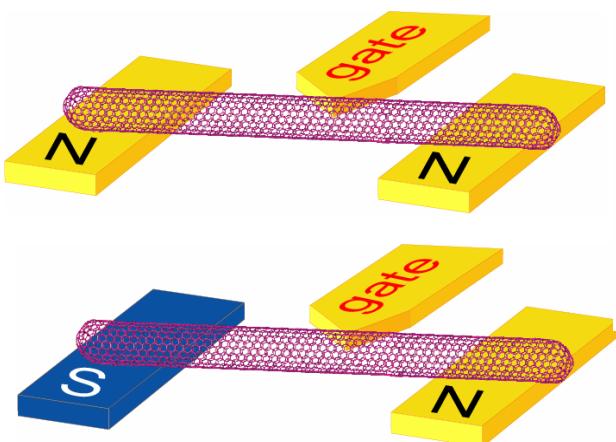
$$\psi = \alpha |n+1, m\rangle + \beta |n, m+1\rangle$$

$$\alpha, \beta(\varepsilon) = \frac{|t|^2}{|t|^2 + (\varepsilon \pm \sqrt{\varepsilon^2 + |t|^2})^2}$$

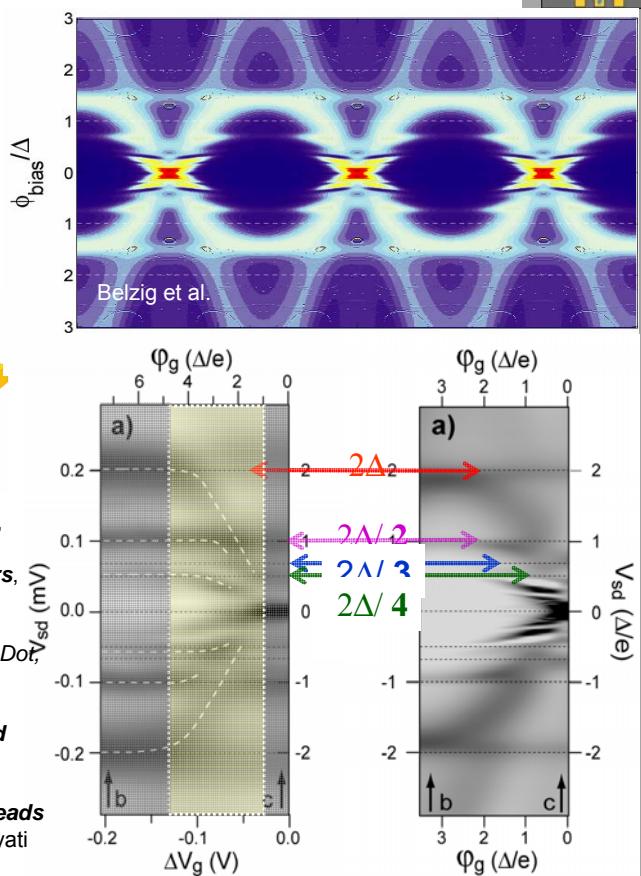
$$G = e\Gamma |\alpha(\varepsilon) \cdot \beta(\varepsilon)|^2$$



# Carbon Nanotube Devices



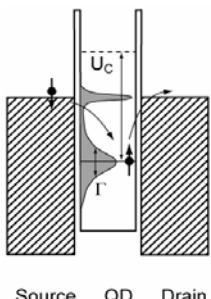
1. Multi-wall carbon nanotubes as quantum dots  
M. R. Buitelaar, A. Bachtold, T. Nussbaumer, M. Iqbal and C.S., Phys. Rev. Lett. 88, 156801 (2002).
2. A quantum dot in the Kondo regime coupled to superconductors,  
M. R. Buitelaar, T. Nussbaumer, and C.S., Phys. Rev. Lett. 89(25):256801 (2002).
3. Multiple Andreev Reflections in a Carbon Nanotube Quantum Dot,  
M. R. Buitelaar, W. Belzig, T.N., B. Babić, B. Bruder, and C.S., Phys. Rev. Lett. 91:057005 (2003).
4. Quantum dot coupled to a normal and a superconducting lead  
M. Gräber, T. Nussbaumer, W. Belzig and C.S., Nanotechnology 15, S479 (2004)
5. Cond. properties of nanotubes coupled to superconducting leads  
E. Vecino, M. Buitelaar, A. Martin-Redero, C.S. and A. Levy Yeyati Solid State Comm. 131, 625 (2004)



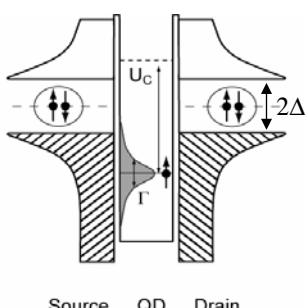
# Carbon Nanotube Hybrid Dots



Kondo effect & Superconductivity



Energy scale :  
~  $k_B T_K$

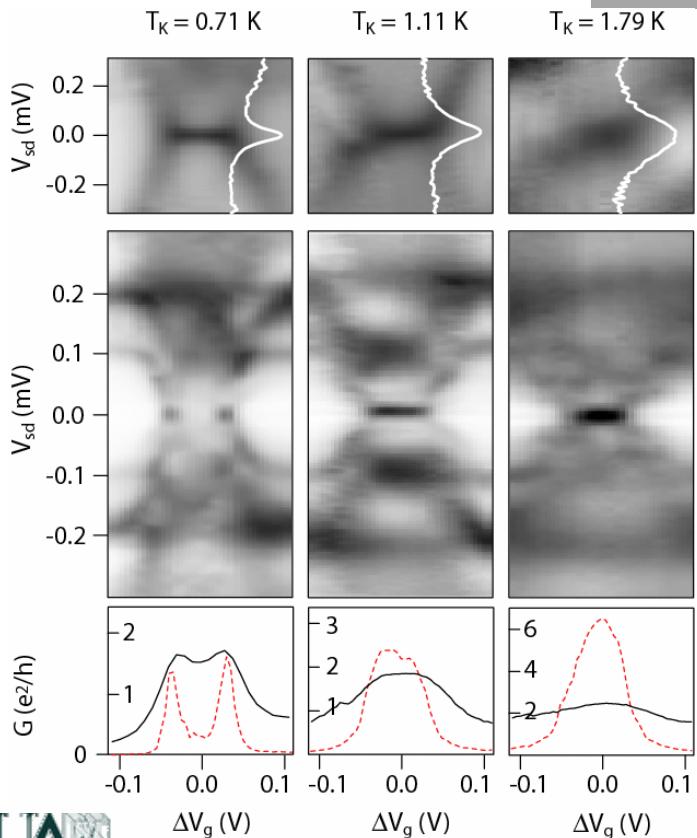


Energy scale : ~  $\Delta$

*Phys. Rev. Lett.* 89, 256801 (2002)



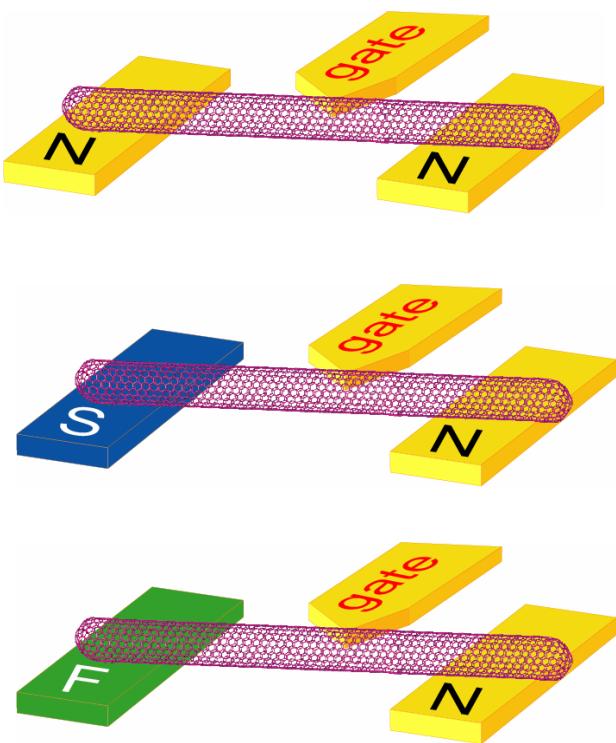
*Solid-State Communications* 131, 625 (2004)



A cross-over at  $k_B T_K \sim \Delta$



# Carbon Nanotube Hybrid Devices



Using carbon nanotubes -  
novel quantum effects that (only)  
appear in low-dimensional  
hybrid devices - can be studied -

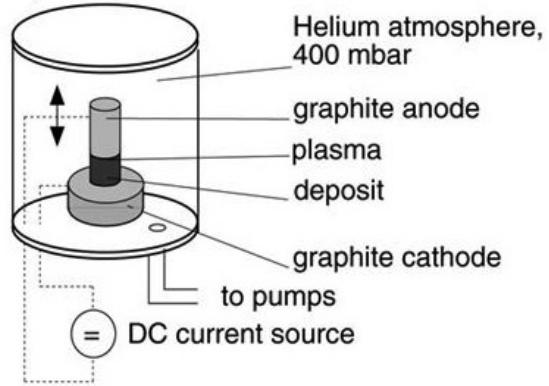
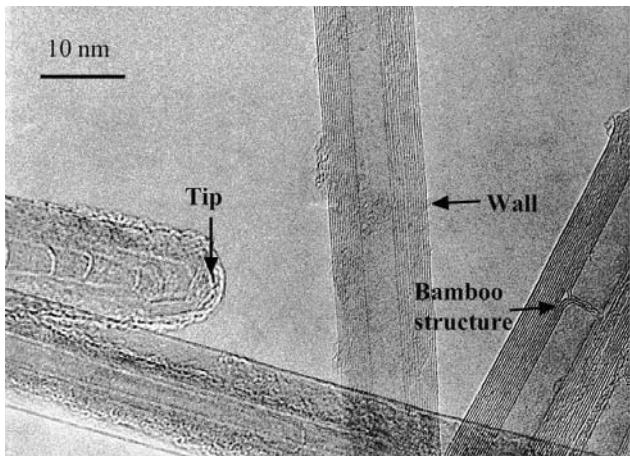
...  
many of which can not  
be studied in „conventional“  
quantum dots

# Gated (gate tunable) Magnetoresistance in Carbon Nanotubes

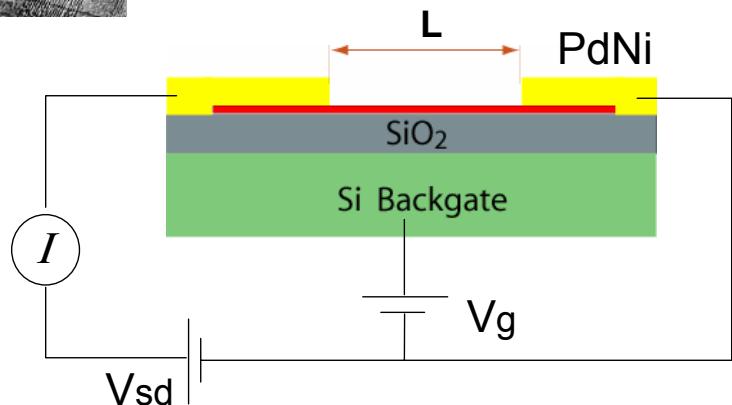
Matthias Gräber, Markus Weiss, Bill Coish, Daniel Loss,  
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NT06, Nagano, 18-23 June 2006

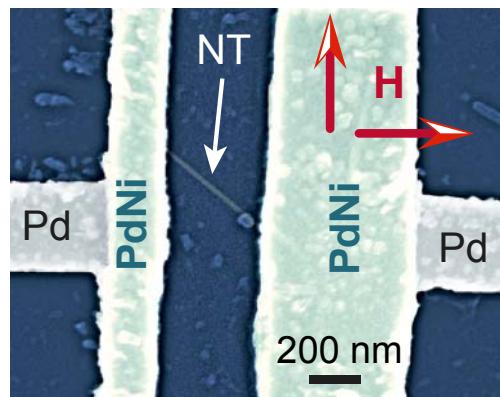
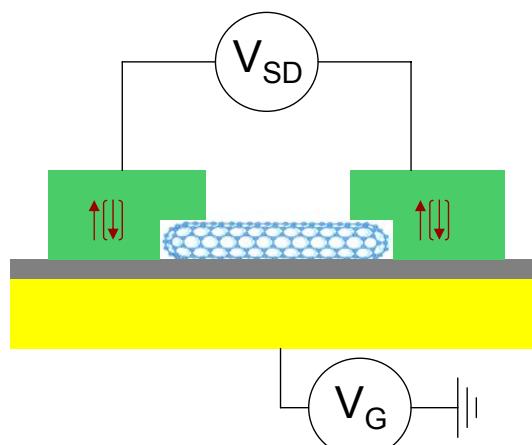
## Multi-Wall Carbon Nanotubes



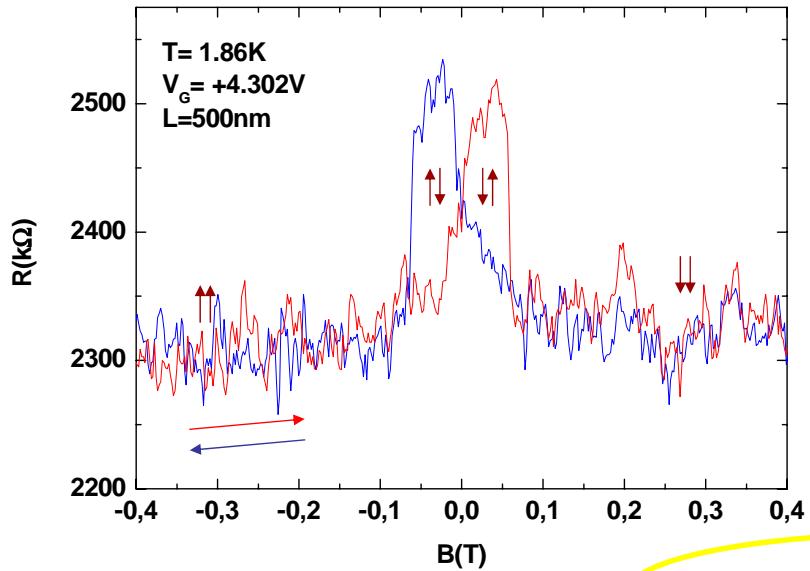
Laszlo Forró EPFL



## an actual device (MWNT)



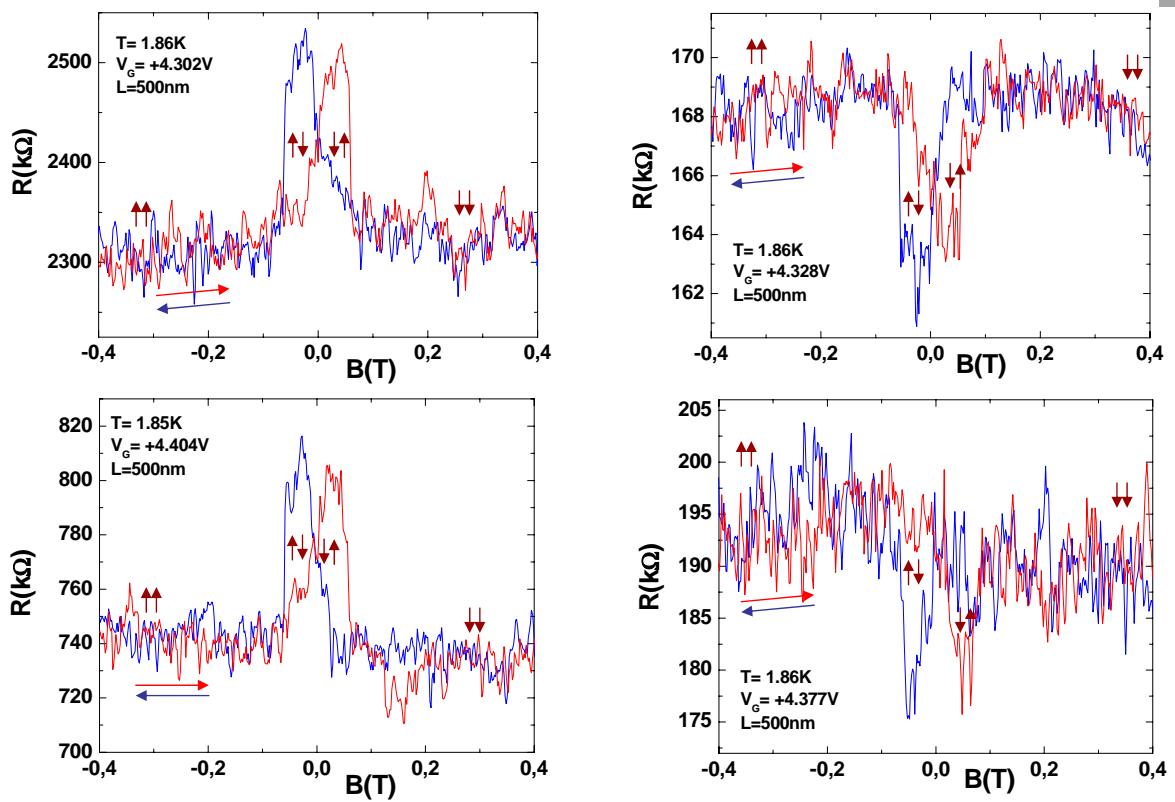
## Spin signal for a CNT-device



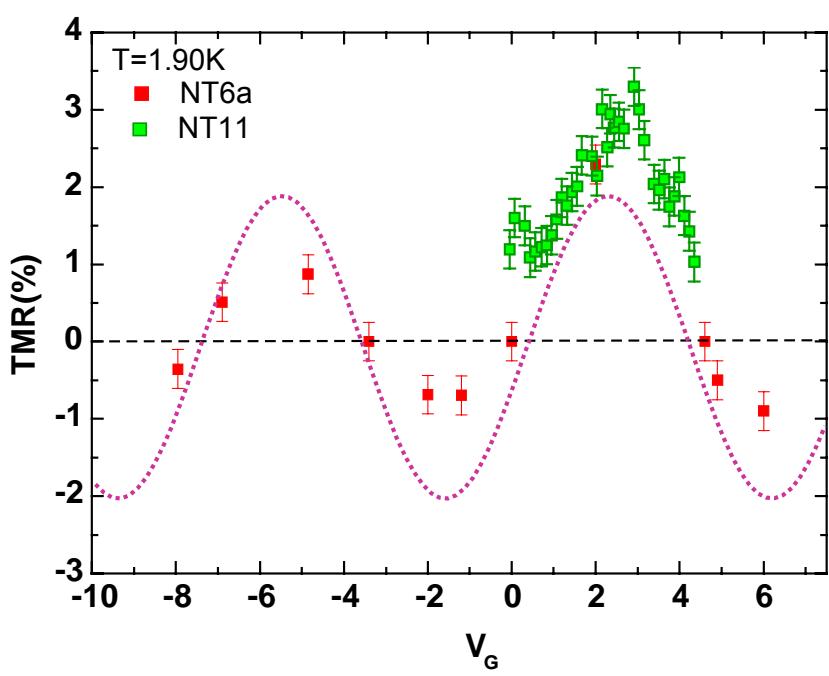
$$\text{TMR} = (R_{AP} - R_P)/R_P$$

- Hysteresis  $\sim 5\text{-}10\%$
- Sharp switching for  $\sim 100\text{mT}$
- TMR  $\sim 2P^2$  with  $P\sim 0.2$

## Gate dependence of TMR



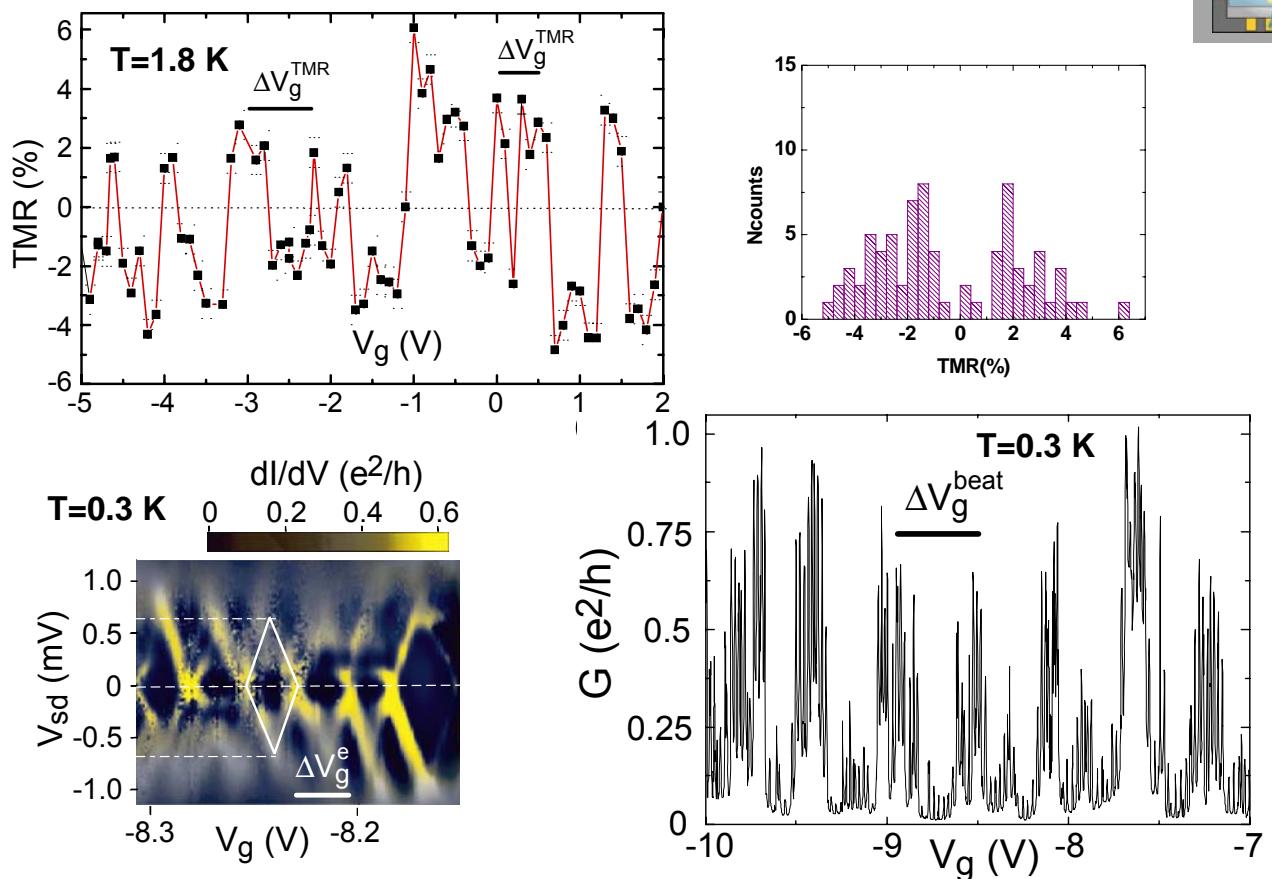
## TMR Gate Dependence



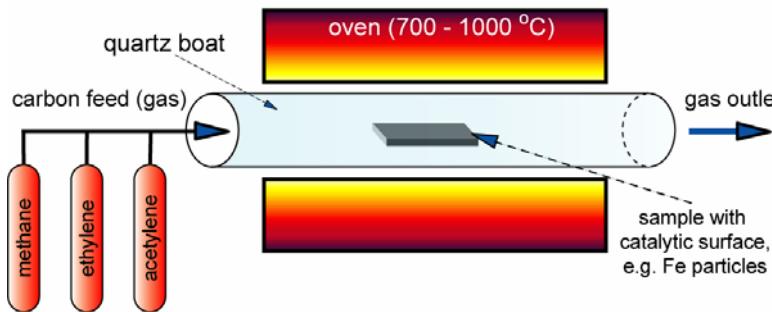
speculation

❑ Oscillations of TMR between +3% and approx.  $\pm 1\%$  ?

# TMR „oscillation“: what causes it?



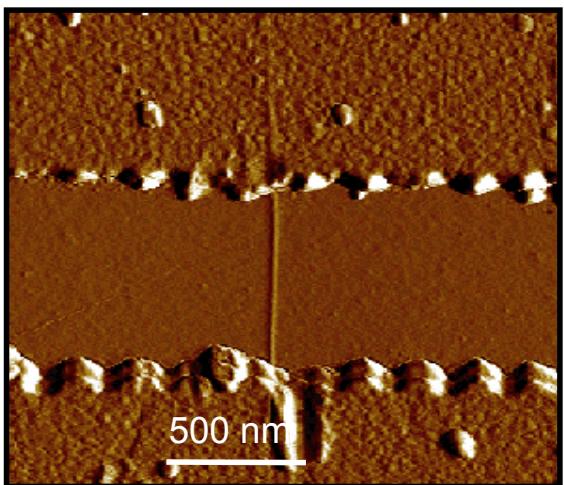
## Single-Wall Carbon Nanotubes



Bakir Babic

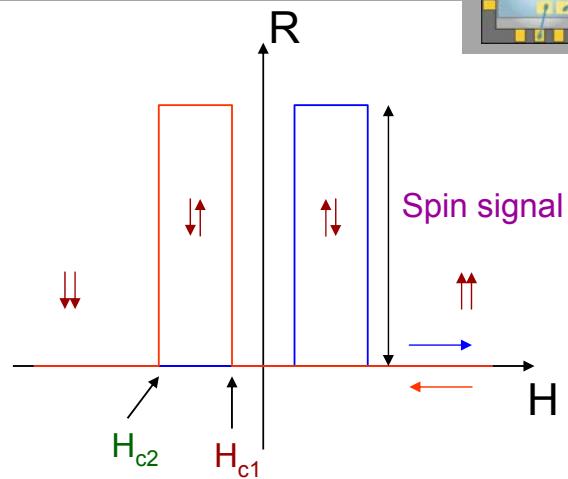
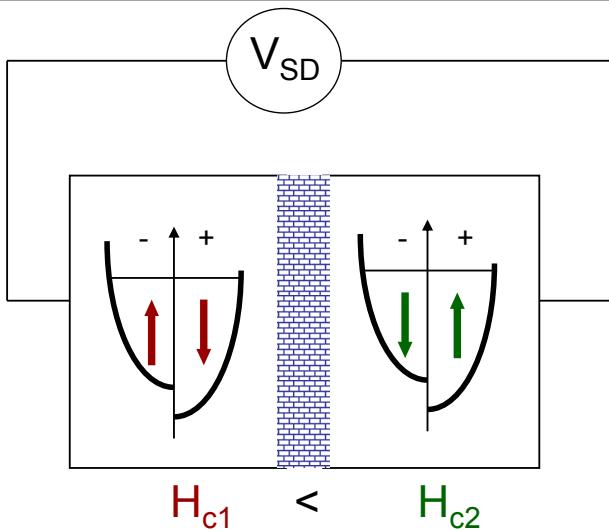


Jürg Furer



acknowledgment:  
Jing Kong and  
Herre van der Zant !

# Introduction: Spin Valve Effect



assume spin and energy independent transmission → Jullière's model

$$G_P \propto |t|^2 (N_+^2 + N_-^2)$$

$$G_{AP} \propto |t|^2 2N_+ N_-$$

$G_P > G_{AP}$  because  $N_+^2 + N_-^2 > 2N_+ N_-$

$$P = \frac{N_+ - N_-}{N_+ + N_-}$$

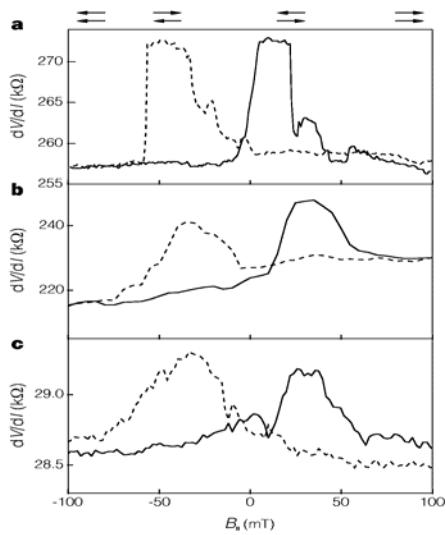
$$TMR = 2 \frac{G_P - G_{AP}}{G_P + G_{AP}} = 2P^2$$

## Previous work



### Co contacts

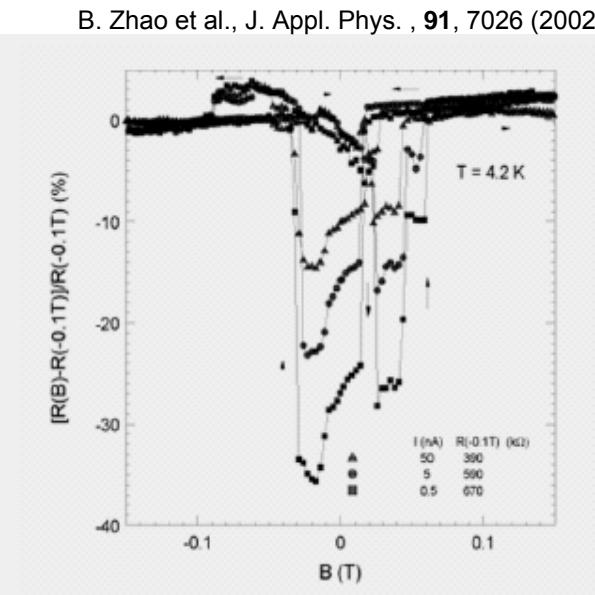
K. Tsukagoshi et al., Nature, 401, 572 (1999)



❑ Positive TMR ~5%

❑ No gate !

B. Zhao et al., J. Appl. Phys., 91, 7026 (2002)



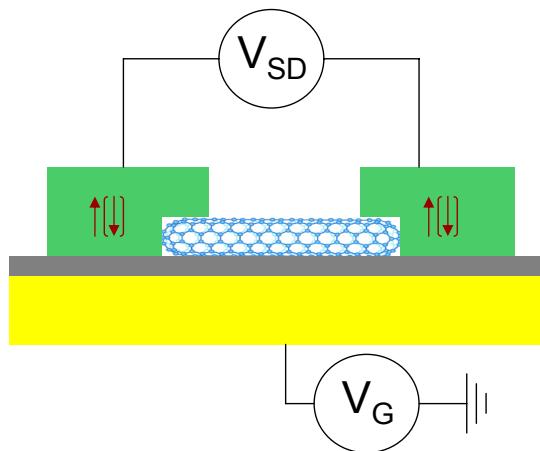
❑ Negative TMR ~ -30%

❑ No gate !



Normal as well as anomalous TMR...?

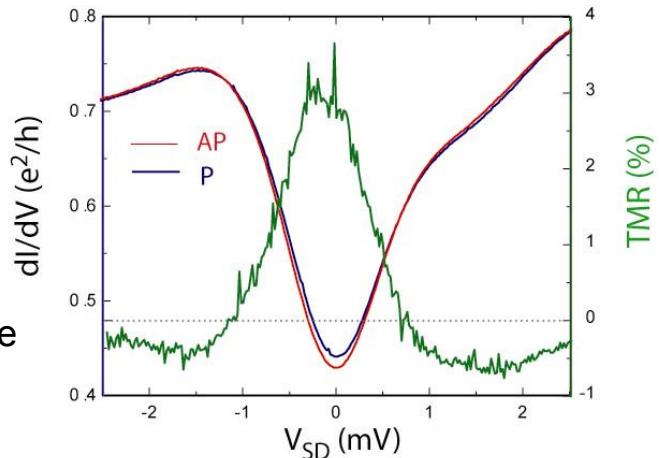
# Spin Injection in NTs



also depends on bias voltage and temperature

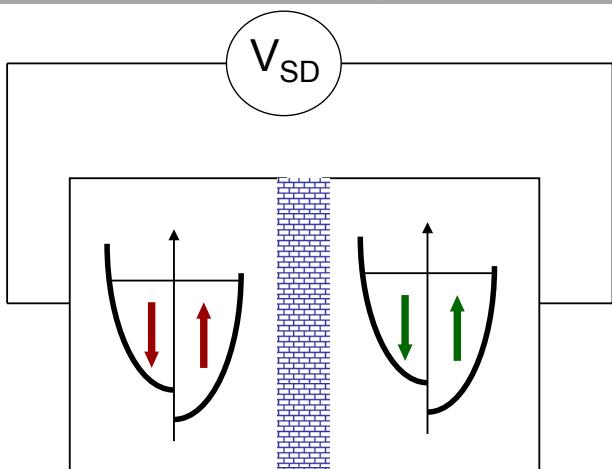
**Spin valve geometry with gate shows ...**

.. that the **magnetoresistance depends on gate voltage**



S. Sahoo, T. Kontos, J. Furer, C. Hoffmann, M. Gräber, A. Cottet and CS, Nature Physics 1, 99 (2005)

## Introduction: Spin Valve Effect

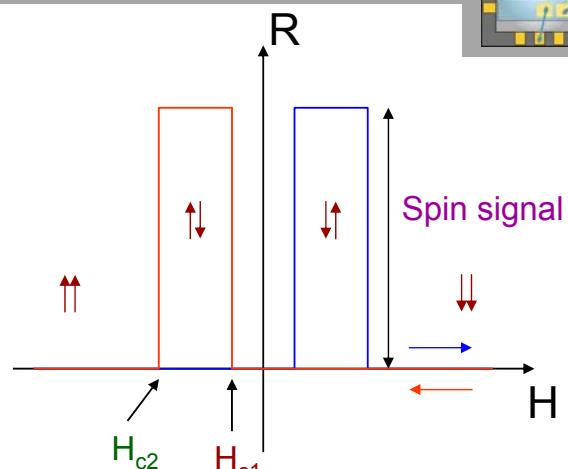


$$H_{c1}$$

<

$$H_{c2}$$

Jullière's model



$$P = \frac{N_\uparrow - N_\downarrow}{N_\uparrow + N_\downarrow}$$

$$G_{AP} \propto |t|^2 2N_\uparrow N_\downarrow$$

$$G_P \propto |t|^2 (N_\uparrow^2 + N_\downarrow^2)$$



$$TMR = 2 \frac{G_P - G_{AP}}{G_P + G_{AP}} = 2P_L P_R$$

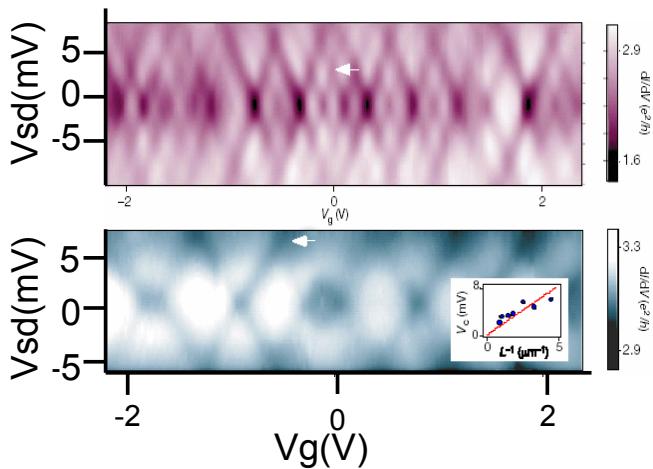
$$G_P > G_{AP} \text{ because } N_\uparrow^2 + N_\downarrow^2 > 2N_\uparrow N_\downarrow$$

**Assumes spin and energy independent transmission !**

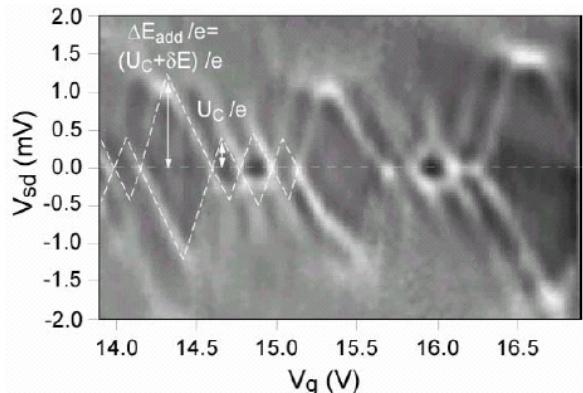
# quantum interference and charging



W. Liang et al., Nature 411, p 665 (2001)



Mark Buitelaar et al., PRL 88, 156801 (2002)



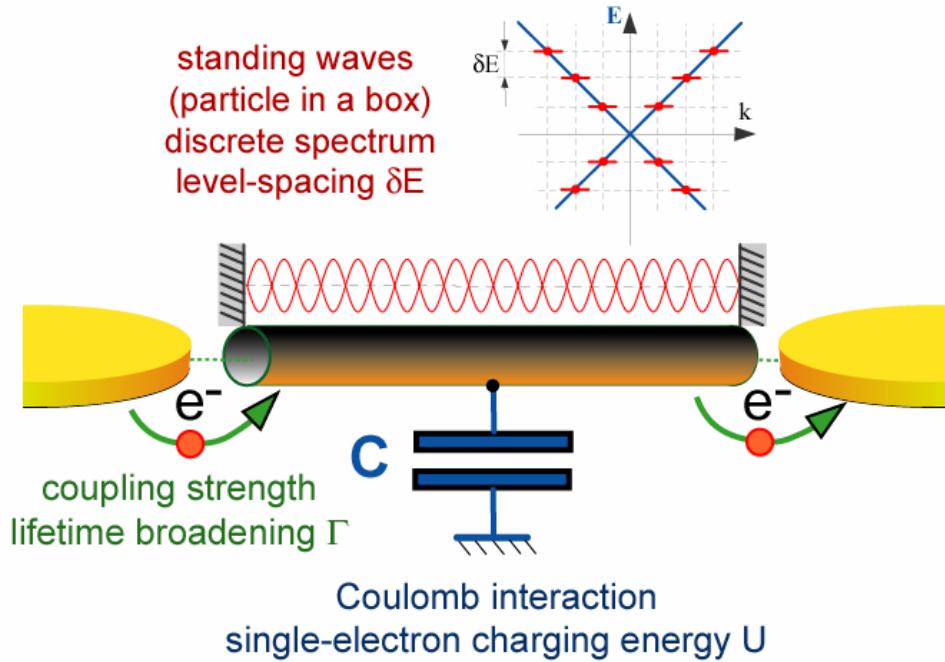
- Fabry-Perot in SWNTs

$$E = h\nu_F / 2L \longrightarrow 1.67 \text{ meV}/\mu\text{m}$$

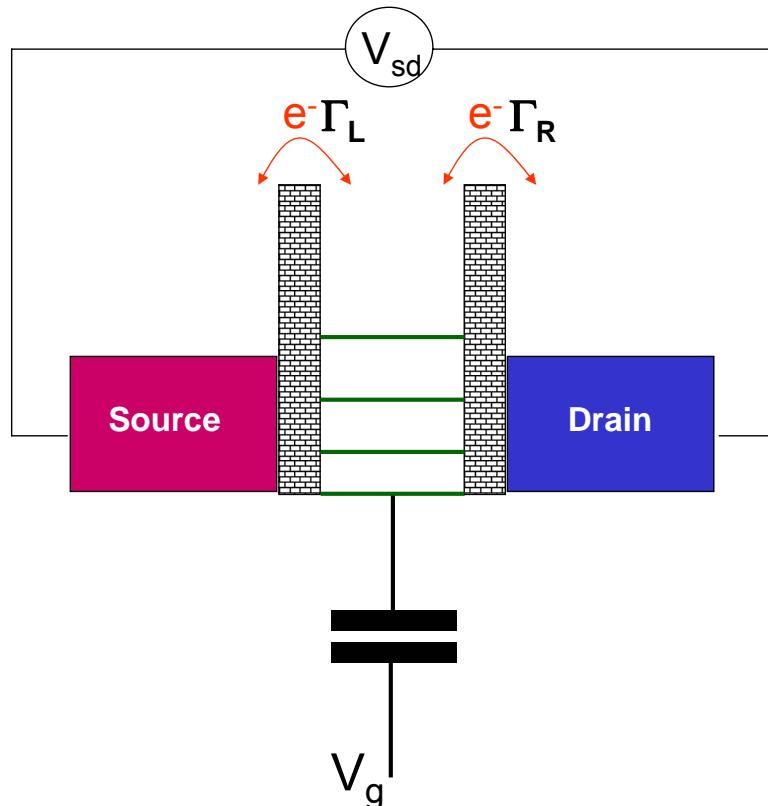
- Quantum dot in MWNTs

→ Energy dependent transmission in NTs...

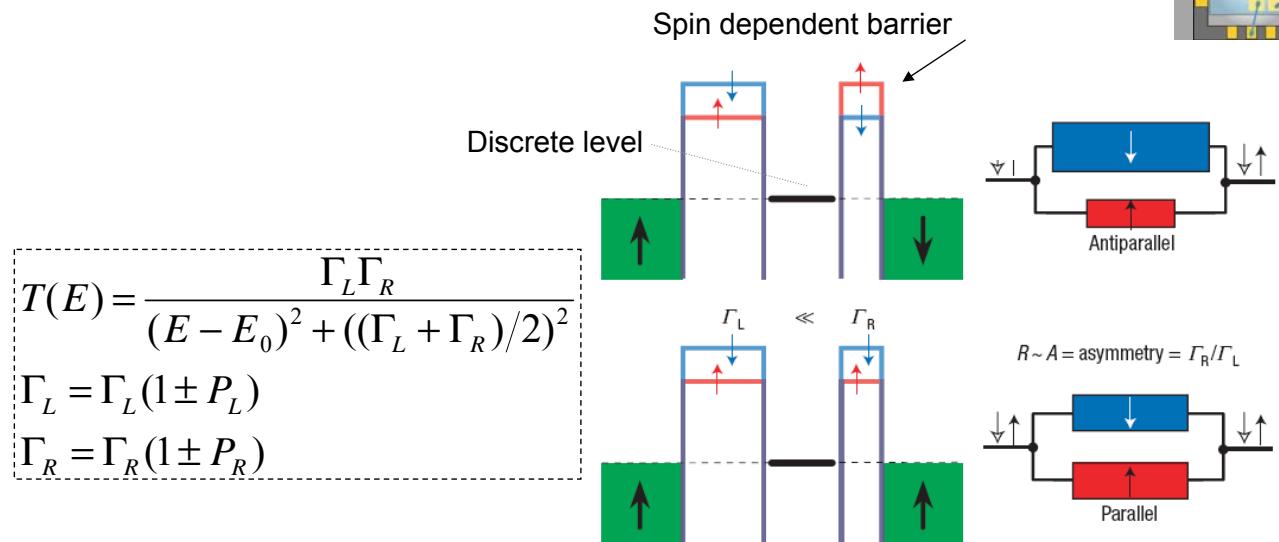
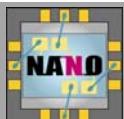
## Nanotubes as quantum dots



## Nanotubes as quantum dots



## TMR and quantum interference



SpinFET behavior because  $E_0$  controlled by gate.

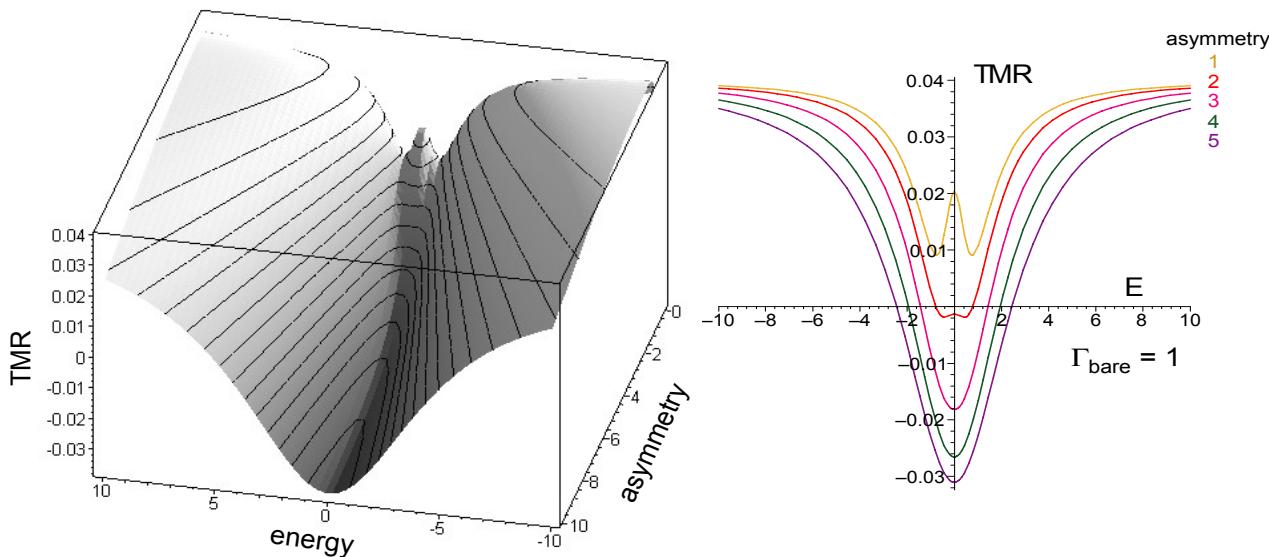
S. Sahoo, T. Kontos, J. Furer, C. Hoffmann, M. Gräber, A. Cottet and CS, Nature Physics 1, 99 (2005)

See also E.Y. Tsymbal et al. PRL 90, 186602 (2003) in Ni/NiO/Co nanojunctions

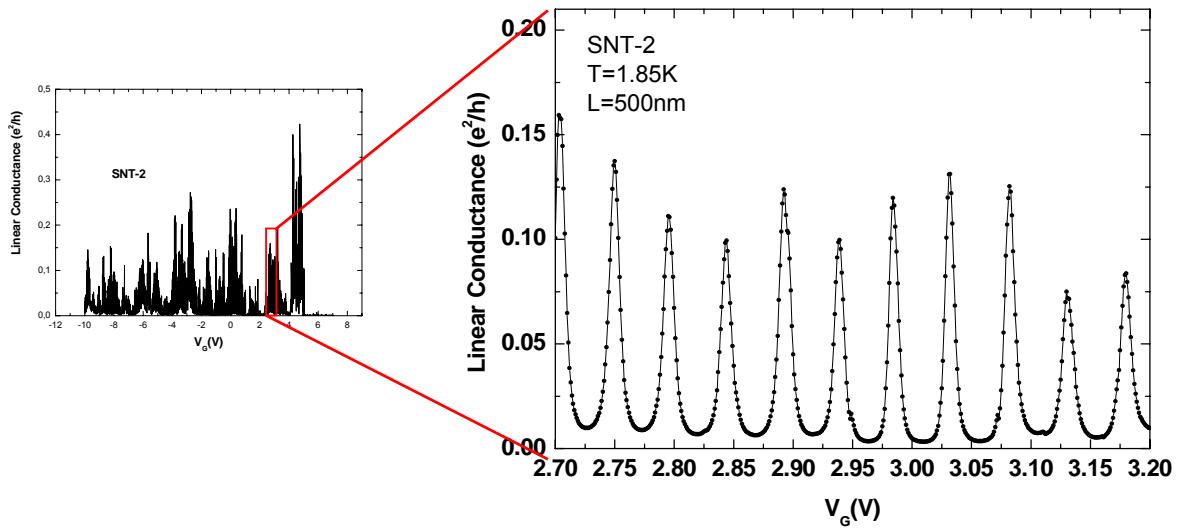
# RT yields a symmetric TMR



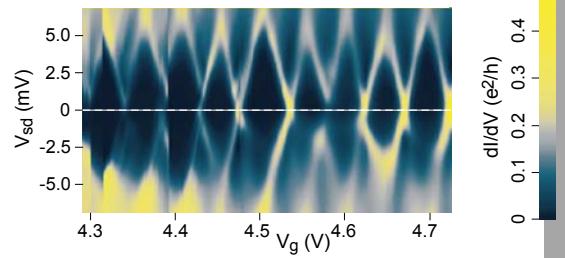
$\Gamma=1$  and  $P=0.2$ , one resonance



# Linear conductance of SWNT device

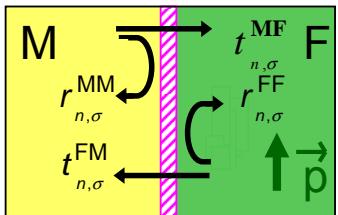
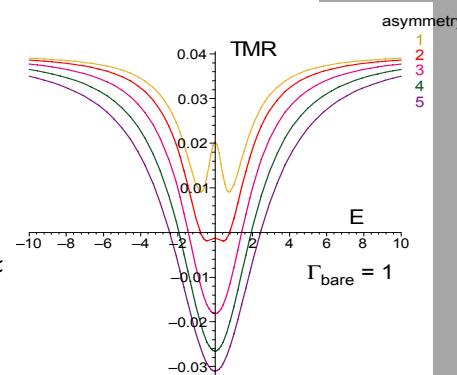
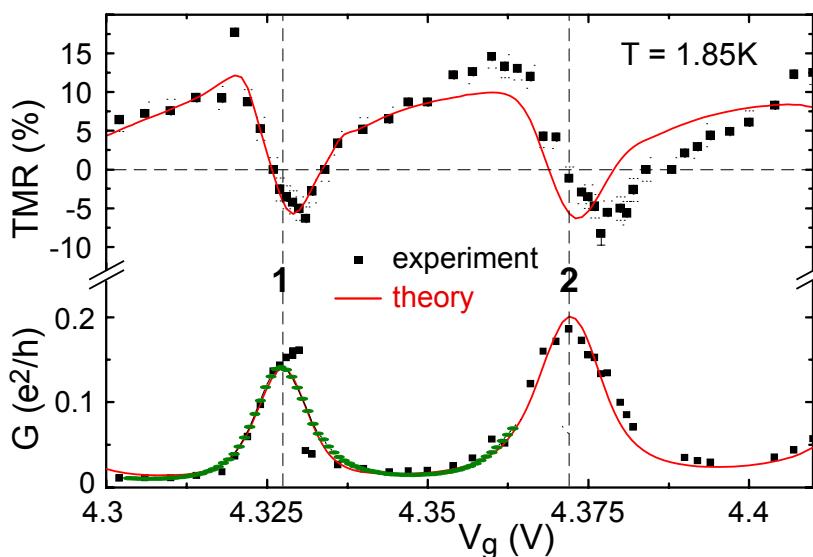


- Resonances in conductance at 1.85K
- Peaks always symmetric about maximum



## Comparison $G$ and TMR vs Gate

S. Sahoo, T. Kontos, J. Furer, C. Hoffmann M. Gräber, A. Cottet and C.S., Nature Phys., 2, 99 (2005)



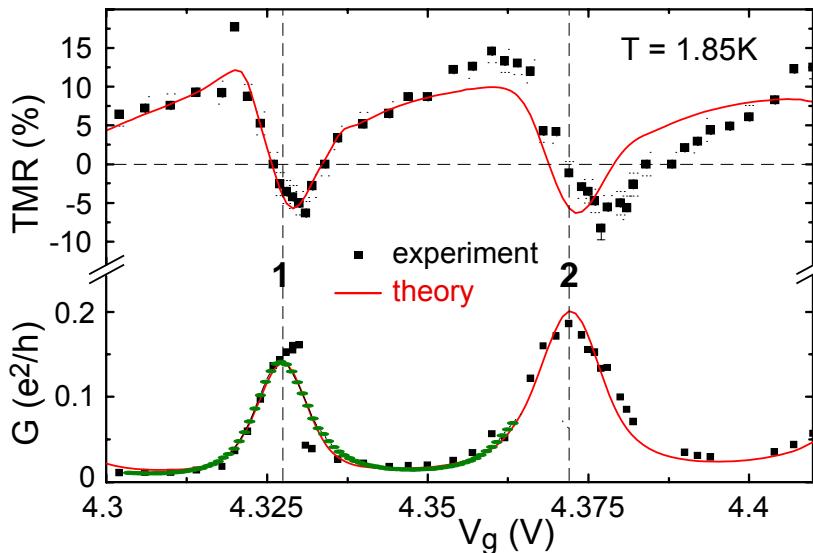
Spin-Dependence  
Interfacial Phase Shifts  
(SDIPS)

→ spin-dependent  
dot eigenstates

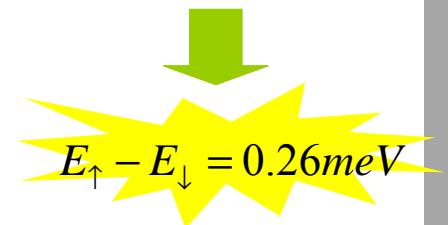
$$\epsilon_{\sigma}^{m_1, m_2} := \epsilon_0(V_g) + \kappa \sigma (P_1 m_1 + P_2 m_2)$$

A. Cottet, T. Kontos, W. Belzig, CS, and C. Bruder, Europhys. Lett. 74, 320 (2006)

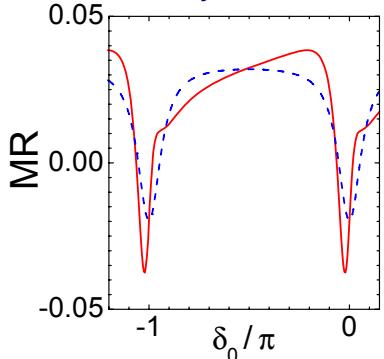
## Comparison $G$ and TMR vs Gate



Asymmetry in TMR



Audrey Cottet et al.



- Oscillations of TMR between -8% and +17%.
- Spin dependent resonant tunneling mechanism.
- Direct measurement of spin imbalance  $\sim 2.2$  T.

S. Sahoo, T. Kontos, J. Furer, C. Hoffmann M. Gräber, A. Cottet and C.S., Nature Phys., 2, 99 (2005)

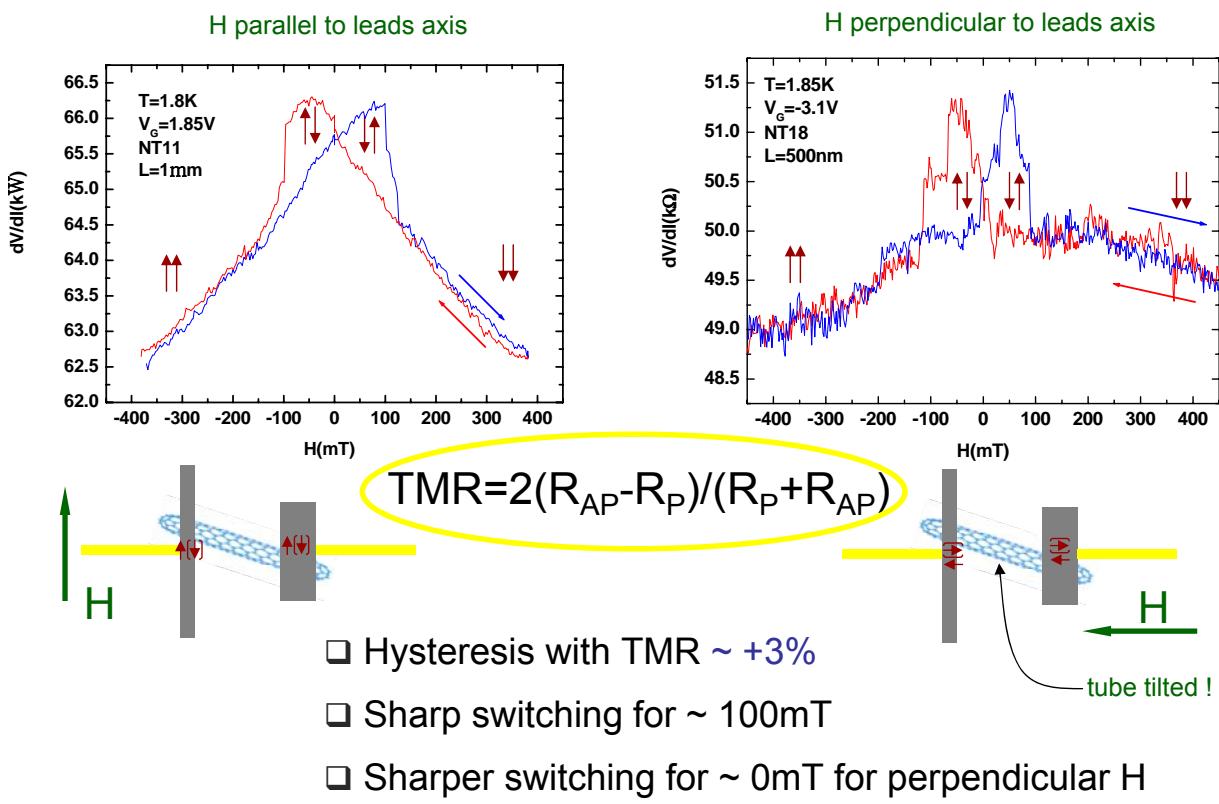
# Problems...?



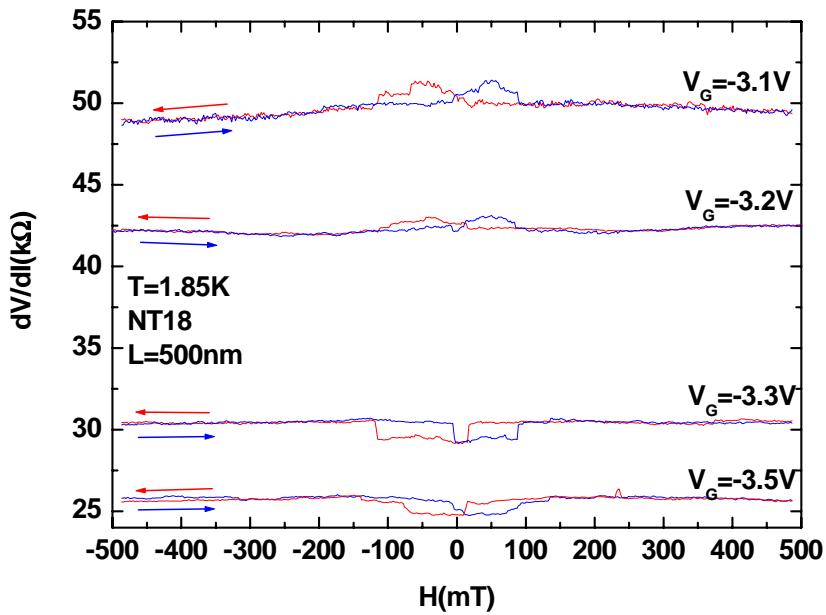
have we really measured spin signal in transport ?

1. **stray-field** effects ?
2. **magneto-Coulomb** effect (through Zeeman effect)
3. **magnetostriictive** effects very locally on the contacts
4. how large is the „**true**“ **spin polarization** in the current
5. how large is the „**spin accumulation**“ in the CNT dot?

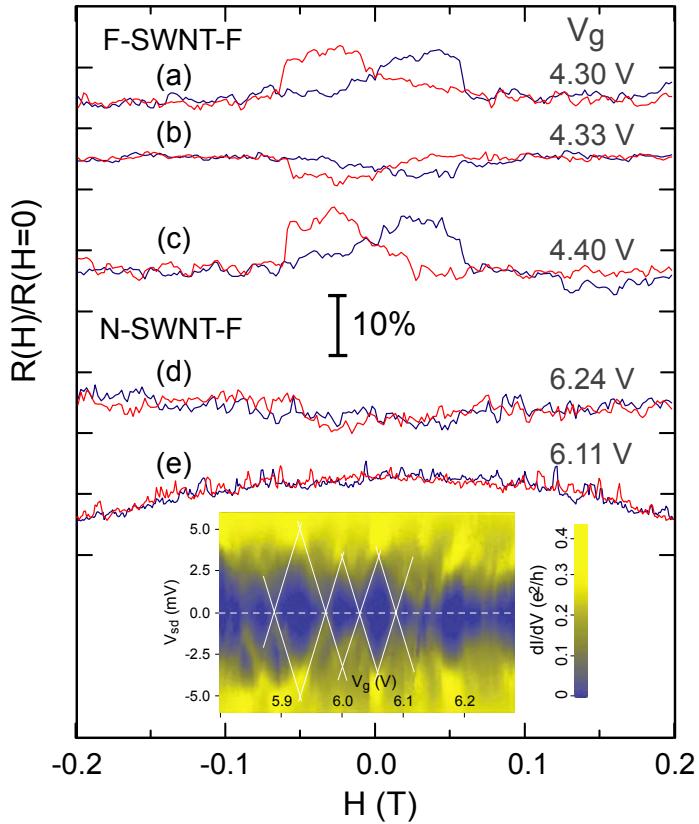
# Background and MR

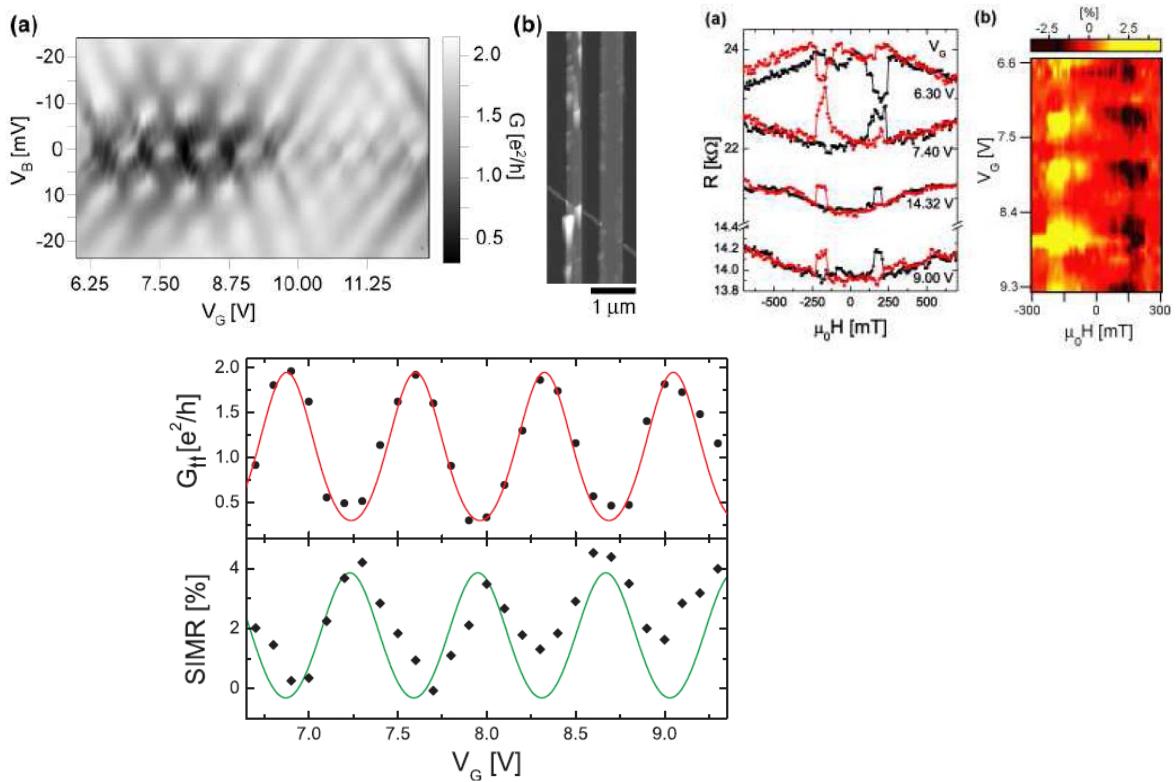


## Background and MR



## Control Experiment





## Gated spin transport through an individual single wall carbon nanotube

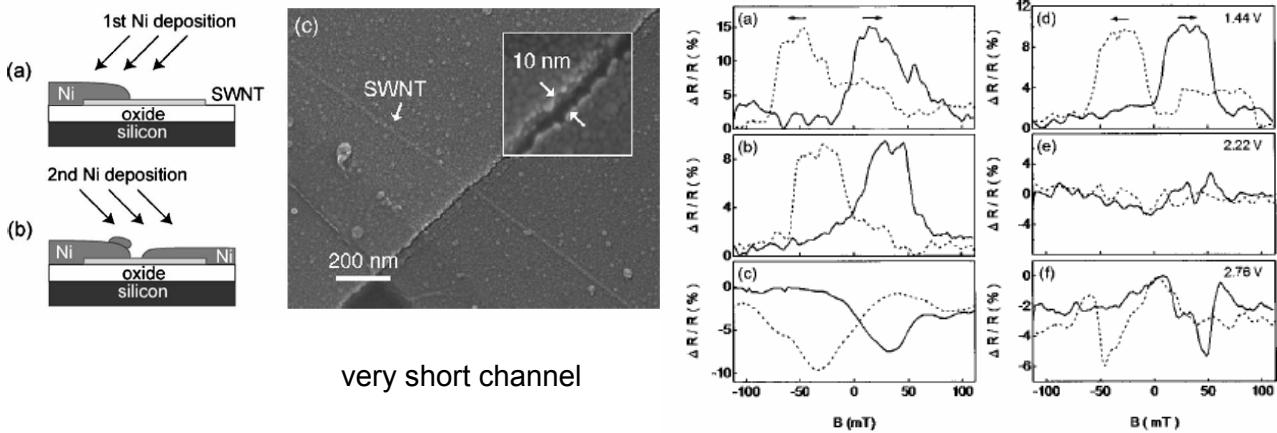
B. Nagabhirava, T. Bansal, G. U. Sumanasekera, and B. W. Alphenaar<sup>a)</sup>  
*Department of Electrical and Computer Engineering and Department of Physics, University of Louisville, Louisville, Kentucky 40292*

L. Liu  
*Department of Physics, McGill University, Montreal, Quebec H3A 2T8, Canada*

(Received 19 October 2005; accepted 21 November 2005; published online 10 January 2006)

Hysteretic switching in the magnetoresistance of short-channel, ferromagnetically contacted individual single wall carbon nanotubes is observed, providing strong evidence for nanotube spin transport. By varying the voltage on a capacitively coupled gate, the magnetoresistance can be reproducibly modified between +10% and -15%. The results are explained in terms of wave vector matching of the spin polarized electron states at the ferromagnetic / nanotube interfaces. © 2006 American Institute of Physics. [DOI: [10.1063/1.2164367](https://doi.org/10.1063/1.2164367)]

some non-trivial gate-effect,  
but not (yet) periodic



# Conclusion



- Spin injection in carbon nanotubes TMR ~10% (SWNTs)
- Spin FET-like behavior in spin valves with nanotubes due to quantum dot behavior

→ Importance of spin dependent quantum interference

- How much spin injection ?
- Can one make effective spin FETs ?
- Direct control of spin possible ?
- Effect of e-e interactions ?

## Refs:

- S. Sahoo, T. Kontos, CS and C. Sürgers, *Appl. Phys. Lett.* **86**, 112109 (2005)  
S. Sahoo, T. Kontos, J. Furer, C. Hoffmann, M. Gräber, A. Cottet and CS, *Nature Phys.* **2**, 99 (2005)  
A. Cottet, T. Kontos, W. Belzig, C.S and C. Bruder, *Eur. Phys. Lett.* **74**, 320 (2006)

H.T. Man, I.J.W. Wever, and A.F. Morpurgo, *cond-mat* 0512505

B. Nagabhirava, T. Bansal, G. U. Sumanasekera, B. W. Alphenaar, *Appl. Phys. Lett.* **88**, 023503 (2006)

N. Tombros, S.J. van der Molen, B.J. van Wees, *cond-mat*/0506538

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